## **CLASSWORK 64**

- 1. Find the value of each expression.
- $\log_{3} 81 =$ a)
  - b)  $\log 0.1 = c$  c)  $\ln 7 =$
- d)  $\ln \sqrt{e} =$

- 2. a) Find the slope of  $y = \ln x$  at x = 4.
- b) Show that your answer is correct by graphing the original function and the tangent line. The y-intercept of the tangent line is 0.3863.
- 3. When does  $y = \ln x$  have a slope of 2.5?

- 4. a) Find the derivative of  $y = x \cdot \ln x$ 
  - b) Use nDeriv on the calculator and check if that function matches your answer.
- c) Use the derivative to find the slope of the graph at x = 3
- d) Find the slope of the function over the interval between x = 3 and x = 3.001

- a) Find the derivative of  $y = \ln x$ 
  - b) Use the nDeriv function on the calculator to check your answer.

6. Can we **proove** that the derivative of  $\ln x$  is 1/x?

We need these properties of logarithms and natural logarithms:

- 1)  $\log a \log b = \log (a/b)$
- 2)  $\log(a^b) = b \cdot \log a$

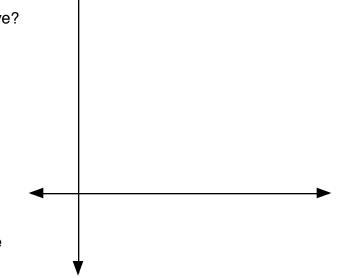
Example:

Example:

We also need to remember the **definition** of e:

- 7. Sketch a graph of the function  $y = e^x$  on the axes below.
- a) Where is the derivative positive? Where is it negative?
- b) Where is the derivative the smallest? Where is the derivative the highest?

c) Use this information to sketch a graph of the derivative on the same axes.



8. Let's investigate the derivative of  $y = e^x$  with numerical methods.

х	$f(x) = e^x$	2nd point near x	Δ y	Δх	slope over the interval
-1		(-1.001, )			
-0.5		(501,			
0		(.001,			
0.5		(.501,			
1		(1.001, )			
2		(2.001, )			
3		(3.001,			
4		(4.001,			

What is the derivative of  $y = e^x$  ?

Use the calculator to show you are right.