



Q25

(a)(i) \$70000

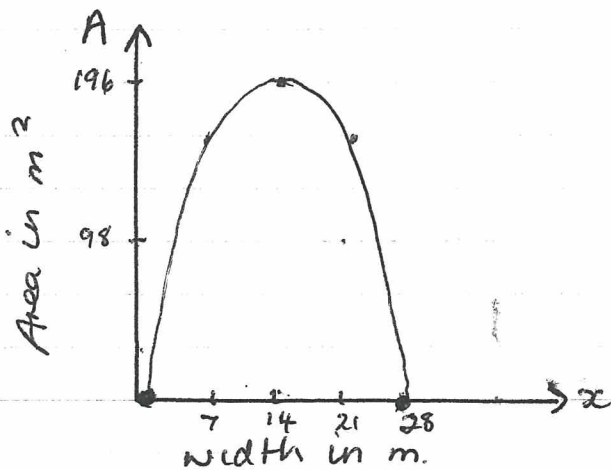
(ii)  $240 - 168 = 72 \text{ mths}$   
 $= \frac{72}{12} \text{ yrs}$

$\therefore$  Repays 6 years earlier

(iii) Amt saved =  $\$640 \times 240 - \$740 \times 168$   
 $= \$29\,280.$

(c)(i) concave down

x	0	7	14	21	28
A	0	147	196	147	0



(ii) Max area is  $196 \text{ m}^2.$

(b)  $R = kI^2$

(i)  $3.5 = k \times 1.5^2$

$k = \frac{3.5}{1.5^2}$

$= 1.555\dots$

$= 1.56 \text{ (3 s.f.)}$

(ii)  $2 = 1.56 \times I^2$

$I^2 = \frac{2}{1.56}$

$I = \sqrt{\frac{2}{1.56}}$

$= 1.13\dots$

$= 1.1 \text{ (2sf)}$

$\therefore$  Current is 1.1 amps (2sf.)

Q26

(a)(i)  $1^\circ \text{ longitude} \rightarrow 4 \text{ mins}$   
 $3 \text{ h } 24 \text{ min} = 204 \text{ mins}$   
 $\text{longitude diff} = \frac{204}{4}$   
 $= 51^\circ$

(ii) Christmas Island is West of Sydney b/c sun rises later.  
 $\therefore \text{Longitude} = (152^\circ - 51^\circ) \text{ E}$   
 $= 101^\circ \text{ E}$

(b) (i) Angular dist =  $31 + 39$   
 $= 70^\circ$

$\therefore \text{Distance} = 70 \times 60 \text{ n.m.}$   
 $= 4200 \text{ n.m.}$

(ii) Time =  $\frac{D}{S}$   
 $= \frac{4200}{240}$   
 $= 17.5 \text{ hours}$

(iii) Perth & Beijing on same longitude so no time diff.  
 $\text{Time of arrival} = 2 \text{ pm Sat} + 17.5 \text{ h}$   
 $= 7.30 \text{ am Sun.}$

(iv) (a) Time in F. =  $10^{25} \text{ am} - 7 \text{ h}$   
 $= 3^{25} \text{ am}$

(b) Time of arrival =  $3^{25} \text{ am} + 18 \text{ h } 45 \text{ min}$   
 $= 22.10$   
 $= 10.10 \text{ pm Mon.}$

(c)(i)  $A = 30^\circ$

(ii)  $\sin 30^\circ = \frac{900}{d}$

$d = \frac{900}{\sin 30^\circ}$

$= 1800 \text{ m.}$

(iii)  $\frac{c}{\sin 25^\circ} = \frac{1800}{\sin 5^\circ}$

$c = \frac{1800 \times \sin 25^\circ}{\sin 5^\circ}$   
 $= 8728.2\dots$

$\therefore$  Distance is 8728m (to n.m.)

Q27

a)  $I = Prn$

$6.74 = 562.26 \times r \times 25$

$r = \frac{6.74}{562.26 \times 25}$

$= 0.00047949$

$\therefore$  Daily rate is 0.04795% (4sf)

b)(i) Initial value = \$7652

(ii)  $S = 7652 (0.9)^5$   
 $= 4518.43$

$\therefore$  Value after 2.5yrs is \$4518

(iii) Rate per 6mths =  $1 - 0.9$   
 $= 0.1$   
 $= 10\%$

Rate per annum = 20%

(iv)  $1000 = 7652 (0.9)^n$   
 $0.9^n = \frac{1000}{7652}$   
 $= 0.13068...$

$n \doteq 19.3$  (trial & error)

$\therefore$  It takes  $\frac{19.3}{2}$  years = 10 years (nearest suff. yr)

c)(i)  $N = M \left\{ \frac{(1+r)^n - 1}{(1+r)^n r} \right\}$

$200000 = M \left\{ \frac{(1.08)^{20} - 1}{(1.08)^{20} \cdot 0.08} \right\}$

$= M \times 9.818...$

$M = \frac{200000}{9.818...}$

$= \$20370.44$

$\therefore$  Annual instalment is \$20370.44

(ii) Interest =  $20370.44 \times 20 - 200000$   
 $= \$207408.80$

Q28

a) Graph A.

(i) b) Number =  $26 \times 26 \times 10 \times 10 \times 26 \times 26$   
 $= 45697600$

(ii) Prob<sup>y</sup> =  $\frac{1 \times 1 \times 10 \times 10 \times 1 \times 1}{26 \times 26 \times 10 \times 10 \times 26 \times 26}$

$= \frac{1}{26^4}$

$= \frac{1}{456976}$

c)(i)  $N^0 = 8000 - 5 \times 500$   
 $= 5500$

(ii) Income =  $5500 \times \$5$   
 $= \$27500$

(iii)  $8000 \div 500 = 16$

$\therefore$  If cost is \$16 no one will attend.

(iv)  $P = 8000 - 500D$

D	0	1	2	...	16
P	8000	7500	7000	...	0

D	0	2	4	6	8	10	12	14	16
I	0	7000	etc.	32000	etc.	70000	etc.	70000	0

$\therefore$  Max income occurs when cost is \$8 per ticket.

Max income = \$32000

Income  $I = D(8000 - 500D)$

which is a quadratic function, concave down.

$\therefore$  A max value exists

